高出力レーザーと 高エネルギー密度科学

兒士 了祐

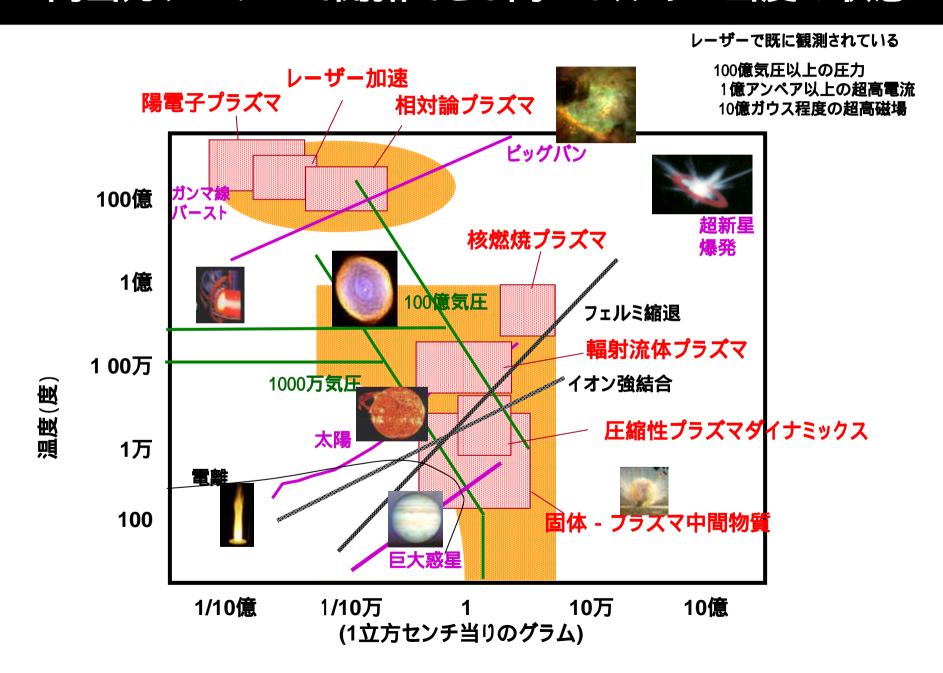
大阪大学大学院工学研究科 レーザーエネルギー学研究センター

高出力レーザーによる高エネルギー密度状態 + レーザープラズマの世界

非平衡プラズマ 輻射と流体 超高圧状態 超高密度電流 粒子加速 超高電場、磁場

+ 仏人とは、結語

高出力レーザーで開拓できる高エネルギー密度の状態



非熱平衡(X線レーザー) 束縛遷移 自由 - 束縛遷移

粒子加速 イオンジェットと加熱 長尺ジェット 電子加速

輻射と流体 輻射流体ジェット 輻射衝撃波

超高密度電流 不安定性と安定化 伝播自己組織化 電子流ジェット

レーザー技術 プラズマ制御技術 超高圧·高密度 衝擊波 爆縮 定容加熱

超高電場·磁場電場発生 磁場計測

無衝突衝撃波 光子圧力による衝撃波 衝撃波加速

非平衡プラズマからのX線輻射: X線レーザー

束縛電子の非平衡

電子衝突励起 再結合励起

光電離励起 内殼励起 1987年発振 現在応用

不安定性(未だ制御できていない)

有望視され続けて実現できていない

実証

自由束縛電子の非平衡

X線レーザー励起

プラズマでは理論のみ

非平衡電子分布(non Maxwell 電子による輻射、 非等方分布電子による偏光)

X-ray Laser was already Demonstrated in a Laboratory with Intense Lasers

D. Matthews et al., J. Opt. Soc. Am. B 4, 575-587 (1987)

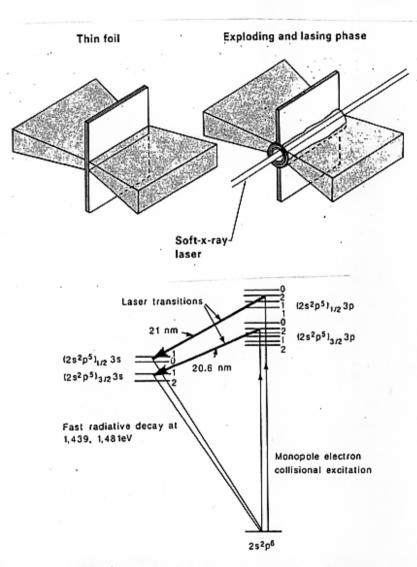


Fig. 4 Energy-level structure of Se24+, after D. L. L. Matthews

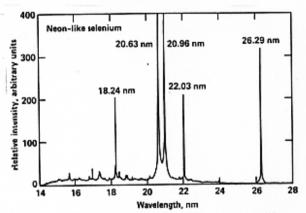


Fig. 5. Ne-like Se x-ray laser spectrum using a 2-cm amplifier. 20.63- and 20.96-nm lines are not to scale; they are deliberately overexposed to show weaker lines.

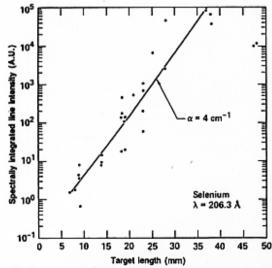


Fig. 6. Intensity versus amplifier length curve for the J=2 to 1 transition at 10.63 nm for Ne-like Se. A solid curve is also shown exhibiting the intensity scaling with length, assuming a gain coefficient of 4 cm⁻¹. A.U., arbitrary units.

Stimulated Free-Bound Emission from X-ray Laser Pumped Plasma Phys. Rev. Lett. 69, (1992) 77 R Kodama

光励起非平衡(自由一束縛間)

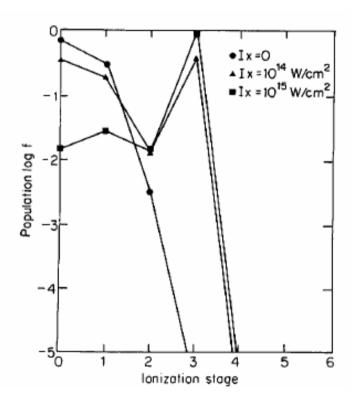


FIGURE 2. Charge-state abundance in C plasmas as a function of the incident X-ray laser intensity with a wavelength of 23 nm at a fixed electron temperature of 5 eV and electron density of 10^{12} cm⁻³.

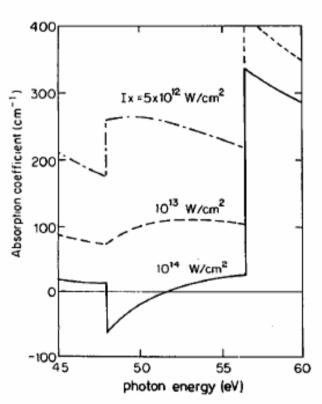


FIG. 1. Absorption spectra (45-60 eV) in carbon plasmas at T_c =5 eV and N_c =2×10²¹ cm⁻³ as a function of the 23 nm (54 eV) x-ray laser intensity.

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Experiments on the Radiative Jetwith the GEKKOXII Laser





target

material: CH, Al, Fe, Au

d iam e ter: 1600 μm ipen ang le: 120deg

Laser

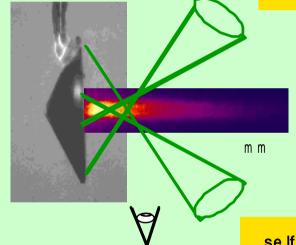
pulse duration: 100 ps,

w ave length: $0.53 \mu \text{m}$

energy:500J

In tensity: $2x10^{14}$ W /cm²

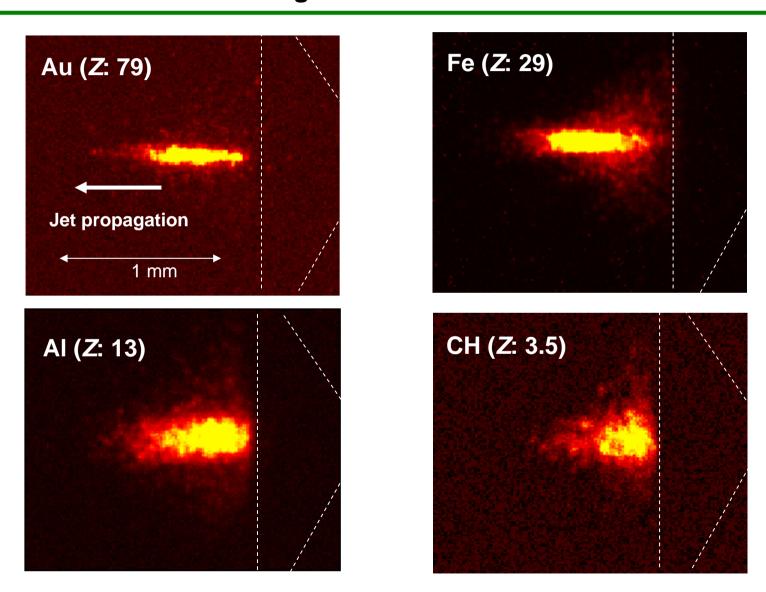




Plasm a parameter Electron Temp.:

a few 100eV-a few keV density: 0.0001-0.1 g/cc selfem ission image shadow image x-ray spectroscopy X-ray emissions at same timing (1.3 ns after the laser irradiation) suggest that diameter of jets increases with decreasing atomic number of the target





Radiation cooling time and the jet radius well correlate with <Z>





-400

-200

Lineouts of normalized self-emission

*Radiation cooling time is by calculated parameters from LASNEX-2D simulation

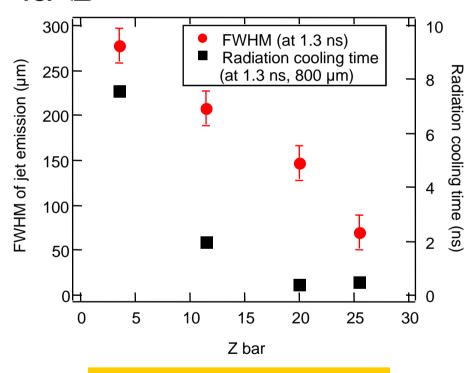
0

Position (µm)

200

400

Jet radius and radiation cooling time* vs. <Z>



Radiation cooling time τ_c

$$au_{\rm c} = arepsilon_{\rm k} / {
m q}_{\rm rad} \ arepsilon_{\rm k} : {
m Energy \ density} \ {
m q}_{\rm rad} : {
m Radiation \ flux}$$

We have observed radiative cooling effect of high-Mach number in jets of astrophysical interest

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Dimensionless terms in astrophysical jets and our jets*

	Astrophysical jets (HH)	Au jet	Fejet	Al jet	CH jet
М	10 - 20	10 - 50	10 - 40	5 - 15	2 - 8
χ	0.1 - 10	~ 2	~ 2	~ 7	~ 30
$\overline{\eta}$	1 - 10	>>1000			

$$\chi = v_{\text{jet}} \cdot \tau_{\text{rad}} / R_{\text{jet}}$$

$$\eta = \rho_{\text{jet}} / \rho_{\text{ambient}}$$

- Our experimental results suggest that the radiative cooling effect is very essential for generation of well-collimated high-density outflow.
- The radiative cooling effect is a function of atomic number of the target (or ionization state <\mathbb{Z}\)). High-\mathbb{Z} jets (Au, Fe) are "radiative jets", and low-\mathbb{Z} jets (Al, CH) are apparently near "adiabatic jets".
- Calculations from LASNEX-2D simulation well reproduce the experimental results. The calculations show the radiative collapse for high-Z jet.
- The radiative effect is sensitive to its radiation cooling time vs. its hydrodynamics time.
- The dimensionless terms in our jets are relevant to those of astrophysical jets except for the density ratio η . This should be improved using foam (or gas-bag) targets.

Several efforts are done to create radiative blast wave with intense lasers

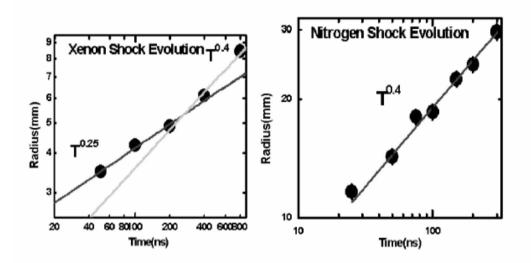


FIG. 2. Blast wave trajectory through xenon and nitrogen gas. After ~200 ns in xenon the trajectory changes from $t^{0.25}$, indicative of a highly radiative blast wave, to $t^{0.4}$, consistent with the energy conserving Taylor–Sedov solution. The nitrogen blast wave trajectory is always consistent with the Taylor–Sedov solution. The error bars are smaller than the data points.

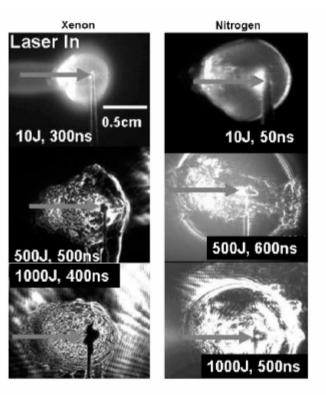
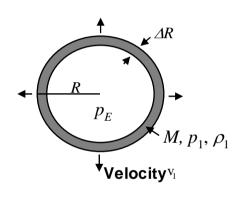


FIG. 3. Dark-field images of blast waves traveling through xenon (left) and nitrogen (right) gas produced by various drive laser energies. In all cases drive laser enters from left. From top to bottom drive laser energies are ~ 10 , ~ 500 , and ~ 1000 J. There is a contrast both in the small scale structure and the laser-side feature between the gases.

A. D. Edens et al., Phys. Plasmas 11, 4968 (2004)

Radiative blast wave propagates more slower than "classical" blast wave

Classical blast wave is solved by mass, momentum, and energy conservation with thin shell approximation (+ Rankine - Hugoniot relationships).



Mass conservation
$$\pi R^2 \ell \rho_0 = 2\pi R \ell \Delta R \rho_1 \qquad \substack{\ell : \text{ length of cylinder} \\ \alpha : \text{ constant}}$$
 Momentum conservation
$$\frac{d}{dt} (M v_1) = 2\pi R \ell p_E = 2\pi R \ell \alpha p_1$$
 Kinetic energy, Thermal energy $E_k = \frac{1}{2} M v_1^2 \qquad E_T = \frac{\alpha p_1}{\gamma - 1} \pi R^2 \ell$

$$\frac{dt}{dt} = \frac{1}{2}Mv_1^2 \qquad E_T = \frac{cp_1}{c}\pi R^2 e$$

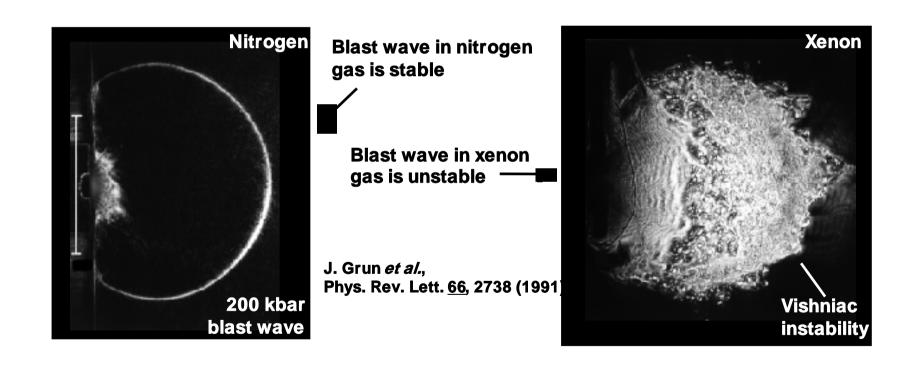
Shell trajectory
$$R = \left\{ \frac{4}{\pi} \frac{(\gamma - 1)(\gamma + 1)^2}{3\gamma - 1} \right\}^{\frac{1}{4}} \left(\frac{E_0}{\rho_0 \ell} \right)^{\frac{1}{4}} t^{\frac{1}{2}}$$

Strong radiative blast wave is solved by momentum conservation because of radiative cooling

Momentum conservation $\pi R^2 \rho_0 R = \pi R_0^2 \rho_0 R_0$

Shell trajectory
$$R = \left(\frac{18E_0d_0^2}{\pi\rho_0}\right)^{\frac{1}{6}}t^{\frac{1}{3}}$$

Previous work suggest thin-shelled instabilities can arrive in spherical geometry when γ < 1.2



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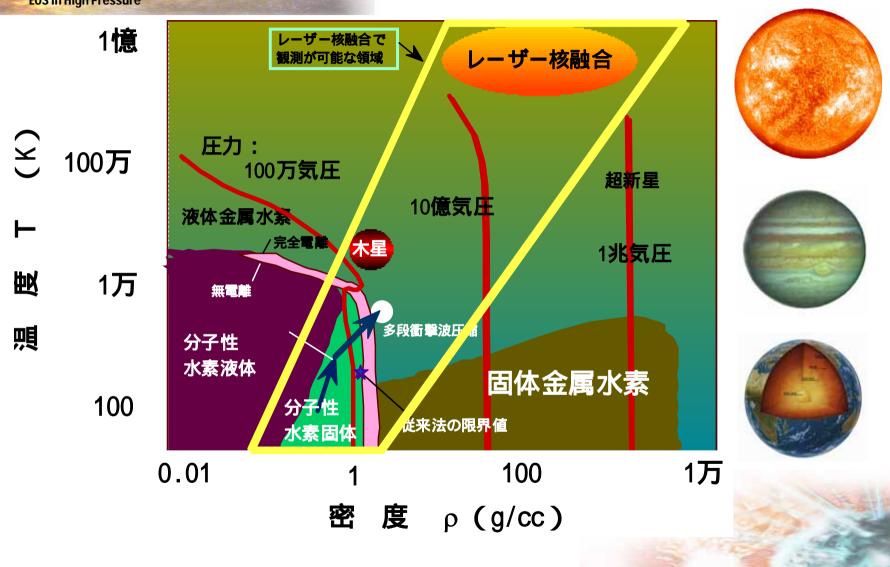
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超高圧状態 EOS in High Pressure



Diamond under high pressure (over 10Mbar region) and low temperature will transform to metallic phase.

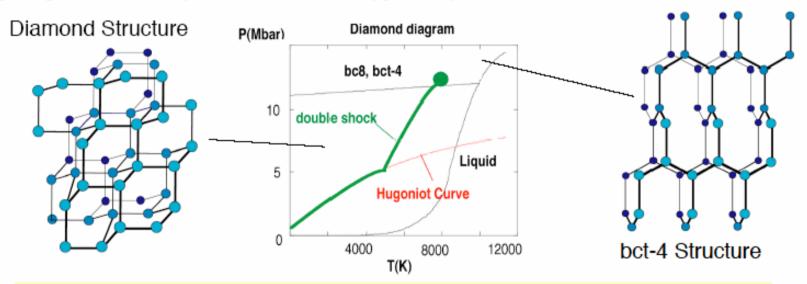


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Previous theoretical investigation is suggested that diamond will transform to metallic phase of BC8 or bct-4 crystal structure.

Reference. D.A. Young and R. Grover, Shock Wave In Condnsed Matter 131 (1988)

Diamond will transform to liquid phase under 10Mbar region by single-shock compression. Low-entropy is required for the metallization of diamond.

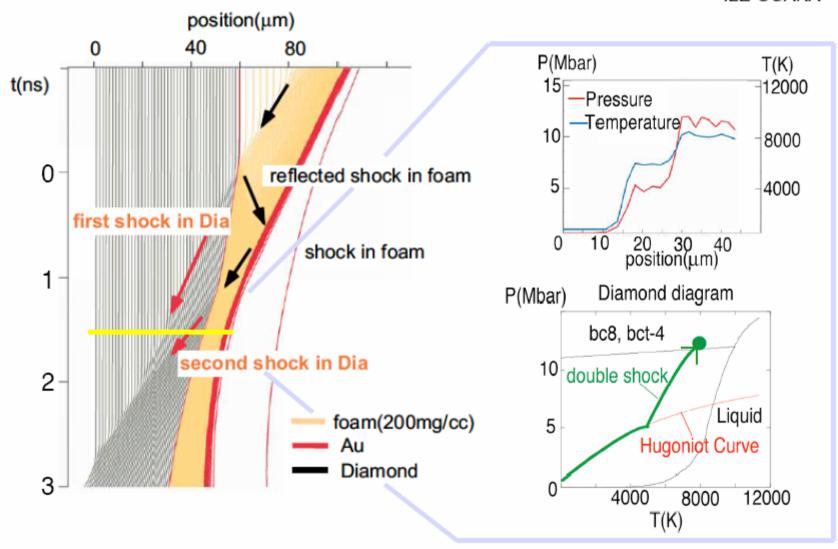


We have demonstrated a preliminary experiment on metallization of diamond by high power laser to reach 10Mbar region.

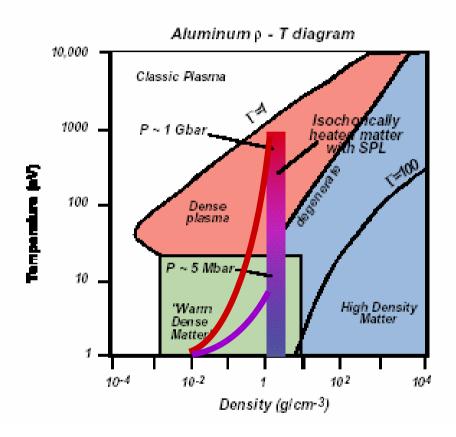
The ILESTA 1D-simulation indicates that diamond is compressed to the metallic-phase by impedance mismatching technique.



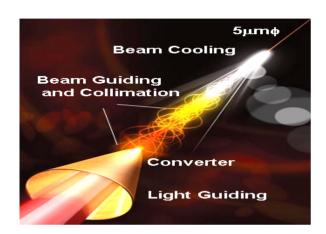
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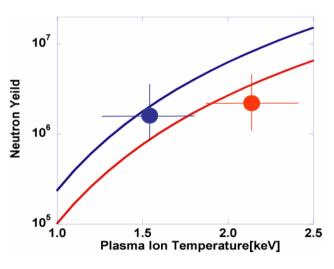


In Warm Dense Matter regime large errors exist even for most studied materials



Energetic particles generated UUL can heat the matter rapidly and uniformly to create isochores (ρ is constant) and release isentrops (entropy is constant)





R. Kodama et al., Nature 432,1005,(2004)

爆縮と高速加熱:高密度圧縮と定容加熱



R. Kodama et al., Nature 418, 933 (2002).



